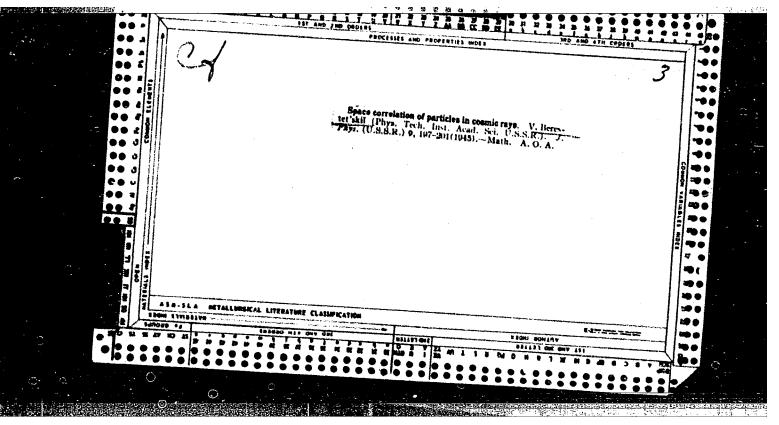
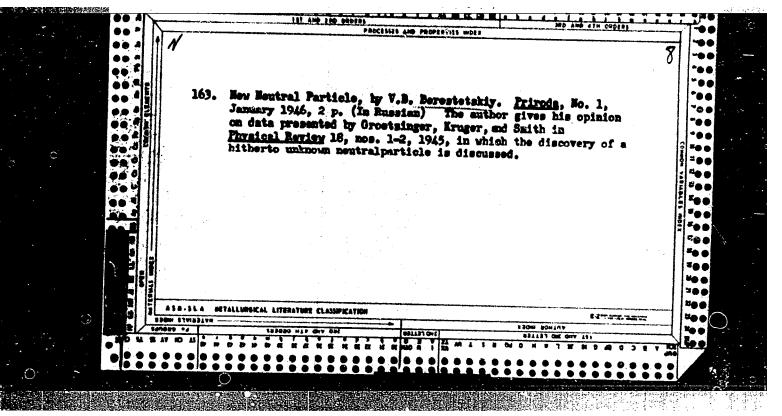


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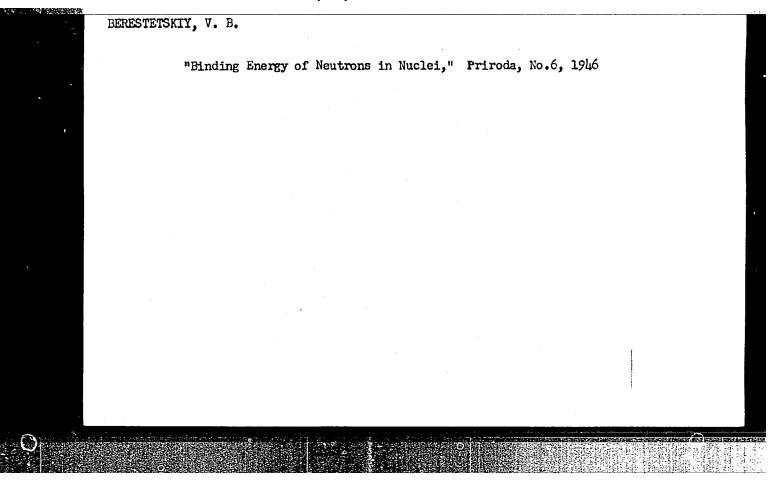


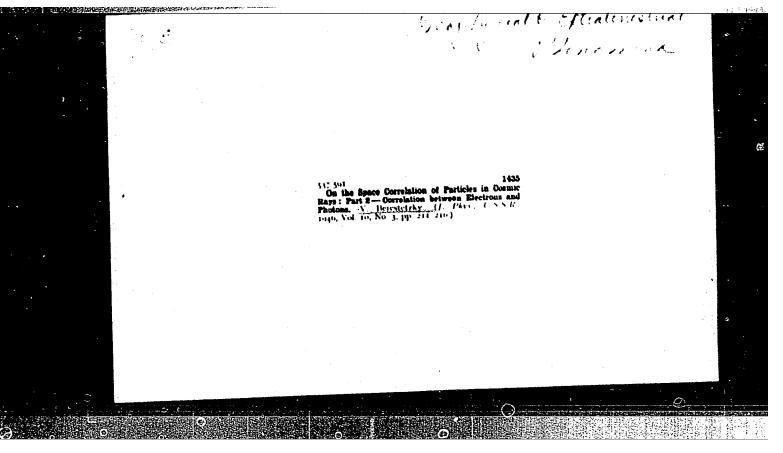


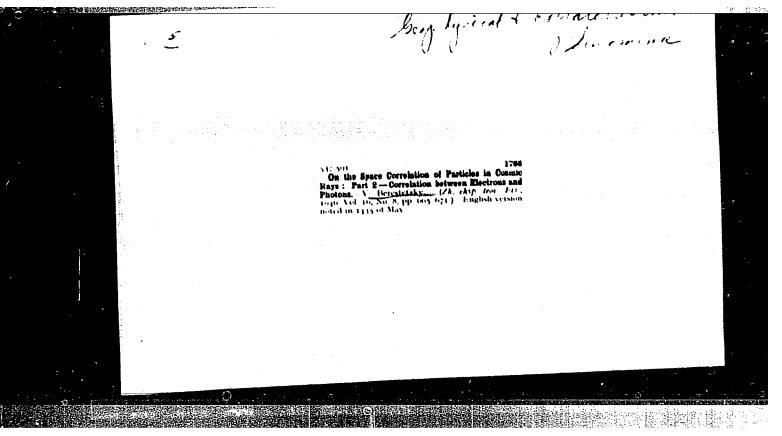
BERESTETSKIY, V. B. "Scattering of Neutrons by Means of Protons and the Mesatron Theory of Nuclear Forces," Priroda, No.3, pp 51-53, 1946

CIA-RDP86-00513R000204810012-3"

APPROVED FOR RELEASE: 06/08/2000







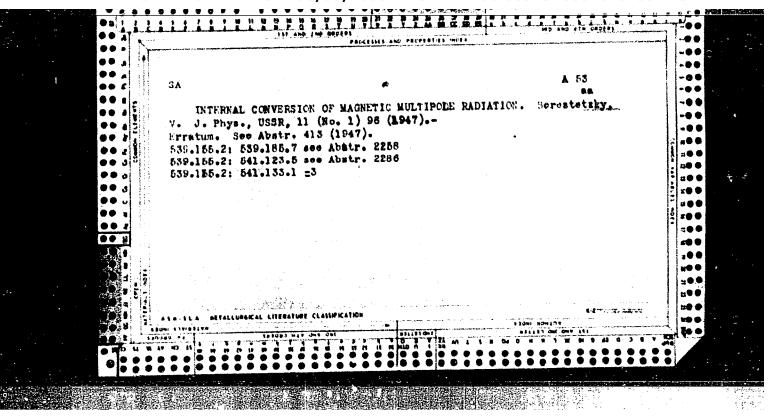
"Internal Conversion of Magnetic Multipale Radiation," Zhur. Eksper. i Teoret. Fiz., 16, No.8, pp 672-680, 1946

Phys-Tech. Inst., AS USSR Leningrad State U.

BERESTETSKIY, V. B.

| BERESTETSKIY, | V • 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 | TA 26T67 |
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| | 198SR/Physics | To the second |
| | Multipoles Jan 1947 Fields, Electromagnetic | |
| | "Electromagnetic Field of Multipoles," V. Berestetskiy, Physico-Technical Institute, Academy of Sciences of the USSR, Leningrad State University 6 pp | |
| | "Journal of Physics" Vol XI, No 1, pp. 85-90 | |
| | A derivation of the electric and magnetic fields of multipoles that is simpler and less artificial than Heitler's derivation is given. | |
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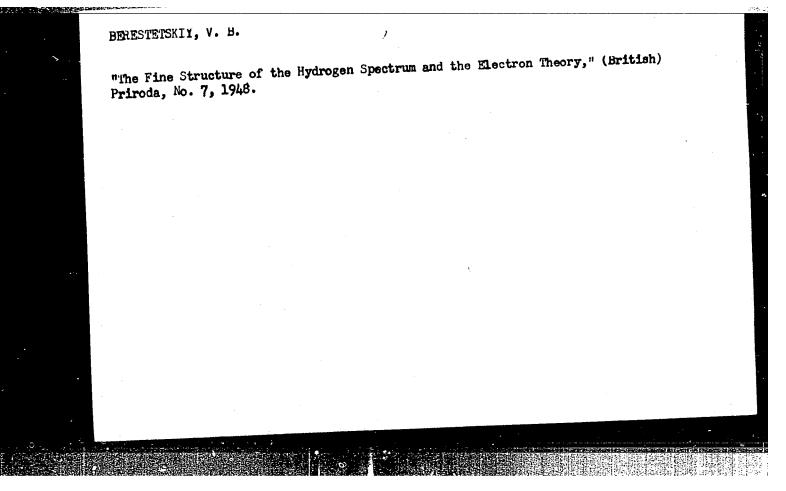


BERESTEPSKIY, V.

Electromagnetic field of multipoles. Zmr.eksp. i teor.fis. 17 no.1:12-18 (HIRA 6:7) 147.

- 1. Fizicheskiy institut Leningradskogo gosudarstvennogo universiteta.
 2. Fiziko-tekhnicheskiy institut Akademii Nauk SSSR.

(Electromagnetism)



USSR/Physics
Magnetism
Multipoles

"Inner Conversion of Magnetic Multipolar Radiation," V. B. Berestetskiy, Acad Sci USSR, 13 pp

"Zhur Eksper i Teoret Fiz" Vol XVIII, No 12 —

Discusses calculation of coefficients of inner conversion of a magnetic multipole at K and L levels for a nonrelativistic approximation, taking into account the interaction between electrons. Submitted 12 Jun 48.

USSR/Ruclear Physics -- Gamma Rays Dec 48

Nuclear Physics -- Electrons

"Angular Correlation During Inner Conversion of Yays," V. B. Berestetskiy, Acad Sci USSR, 11 pp

"Zhur Eksper i Teoret Fir" Vol XVIII, No 12

Considers: correlation of tendencies between '7-quanta and conversion electron, or between two conversion electrons at two consecutive transitions. Submitted 12 Jun 48.

BERESTETSKIY, V. B.

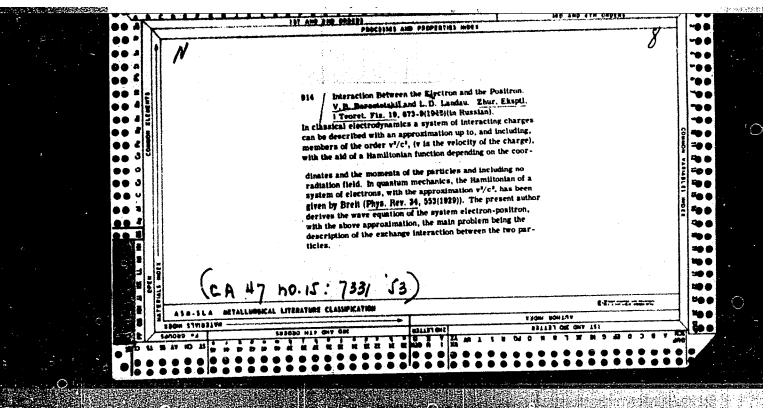
DESER/Muclear Physics - Internal Con- Jul'-9
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Nuclear Physics - Gamma Rays

"Internal Conversion of Gamma Rays With FairProduction in the Light Elements," V. B. Berestetskiy, I. M. Shmushkevich, Anad Sci UESR, 6 pp

"Zhur Eksper i Teoret Fiz" Vol XIX, No 7 - 19-19-6**

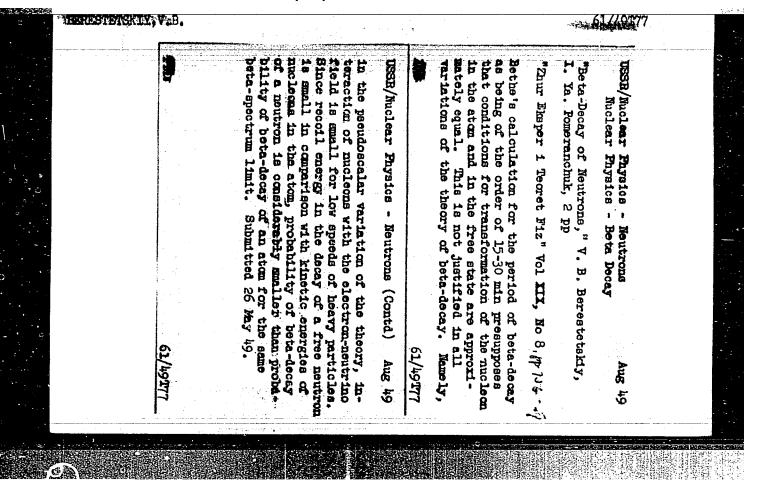
Calculates coefficients of internal conversion of
the radiation of electric and magnetic multipales
with pair-production for high gamma-quanta
energies and small nuclear charge. Submitted
3 Mar 19.

51/19719

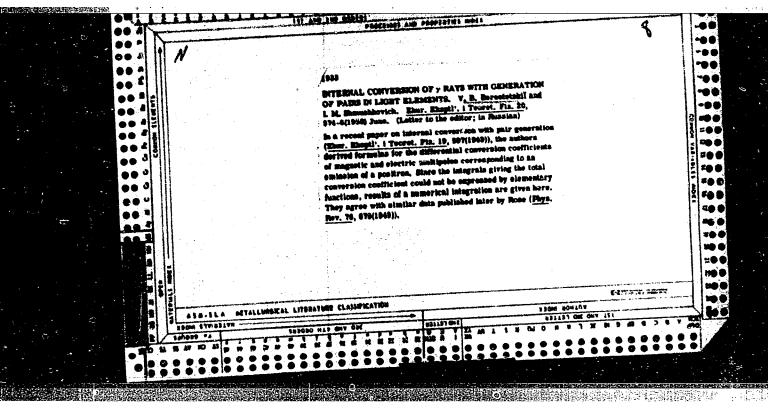


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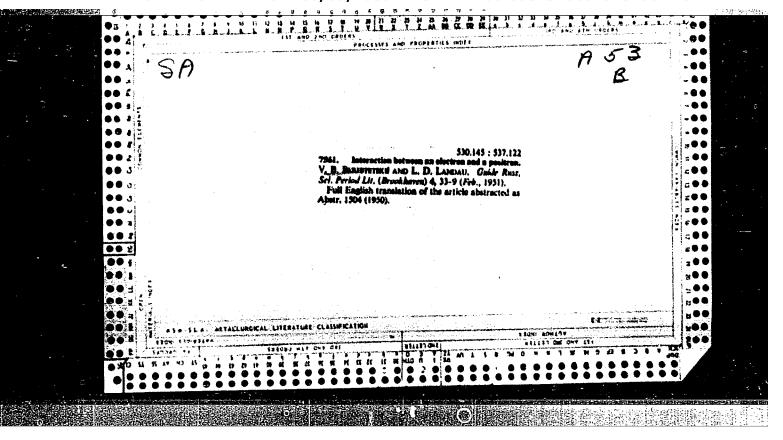
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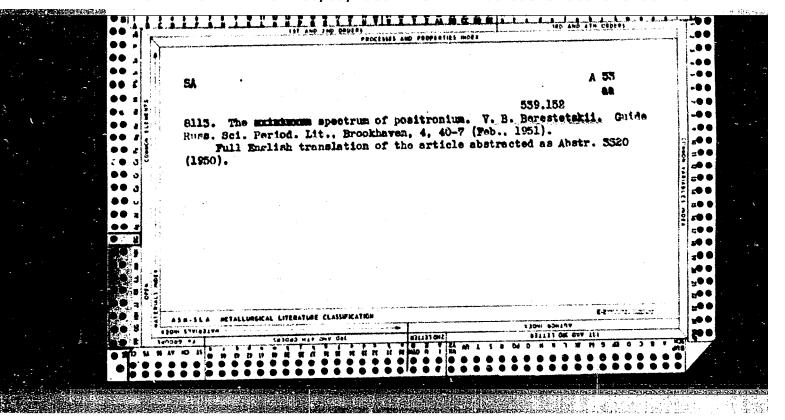


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| | | USSR/Nuclear Physics - Positron (Contd) : structure). Linear effect is absent Zeeman phenomenon. Submitted 26 Jul | SSR, 6 pp If in fleoret Fix" Volume of the structure of the change interaction can splitting of the or the ordinary so-cal | uclear Physics - Positron Fine Structure |
| | 152182 | ent in the Jul 49. | 1 67 00 44 2 7 2 4 7 | Dec 49 |



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BERNSTETSKIY, V. B.

BERNSTETSKIY, V. B.

"The Internal Evenness of the Positron," V. B. Berestetsky

"Zhur Eksper i Teoret Fiz" Vol XXI, No 1, pp 93-94

Letter to editor: Int evenness of particle is detd from behavior of wave function of free nonrelativistic particle (at rest) during reflection at origin. Thus electron and positron posses opposite int evenness, which is apparent during pair formation and annihilation. Submitted 10 Oct 50.

USSR/Suclear Physics - Mesons Dec 51

"Conversion of a Charged w Meson Into a Neutral Meson During Collision With Proton and Deuteron," V. B.
Berestetskiy, I. Ya. Pomerenchuk, Acad Sci USSR

"Zhur Eksper I Teoret Fiz" Vol IXI, No 12, pp 1313-1320

Computes effective cross sections of conversion of charged w meson into a neutral meson owing to collisions in hydrogen or deuterium. Shows that ratio of cross sections to energy is essentially different in cases of various types of interaction of mesons with nucleons. Comparison of theoretical formula of angular distribution with exptl data will allow checking of assumption of equal evenness of neutral and charged w-mesons. Submitted 27 Feb 51.

BERESTETSKIY, V. D.

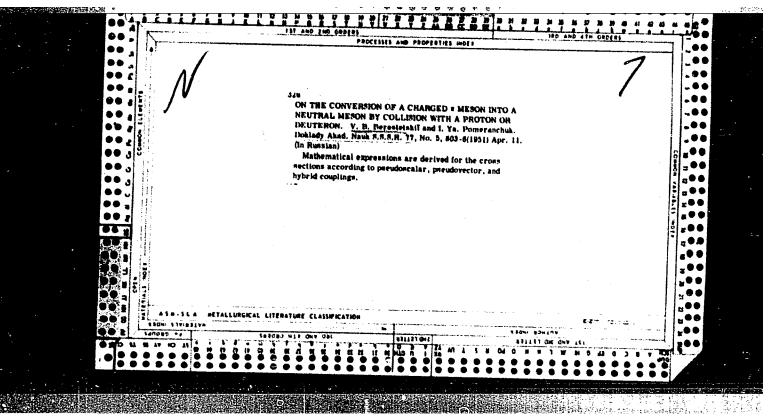
UBER/Nuclear Physics - Mesons

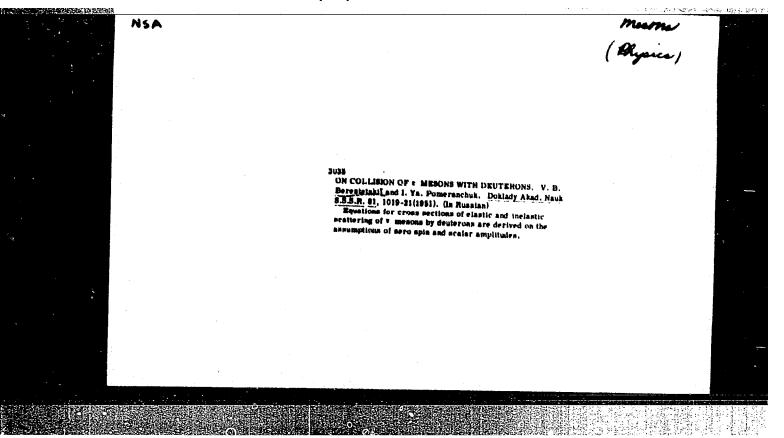
Dec 51

"Scattering of m-Mesons by Protons and Deuterons,"
V. B. Berestetskiy, I. M. Shmushkevich, Acad
Sci USSR

"Zhur Eksper i Teoret Fiz" Vol XXI, No 12, pp 1321-1329

Computes effective cross sections of n-mesons in hydrogen of deuterium in case of pseudovectorial or pseudoscalar binding. Pseudoscalar type of binding leads to too high values of cross sections, which in this case indicates int contradictions of theory. Submitted 8 Nar 51.





| | i Teoret Fiz" 10, 1940 and 11, 1941. to non-Soviet sources: Schwinger; Dy Feynman; Heitler; and symposium of no | hysics - Quantum Electrodynamics, Perturbation (Contd) er processes, examples, processes of 1 and 2d approximations. Cites Ya. A. (1bid. 39, 325, 1040. | Expounds the fundamentals and methods governing the theory of perturbations in modern quantum electro- tion of methods of regularization. Discusses col- lision matrices, general perturbation theory, energy of interaction, field of photons and electrons, lst- corder processes, function of interaction of 2 charges | dynamics, Perterturbations in Quaetskiy | |
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BERESTETSKII, V. B.

USER/Huclear Physics - Mesons, Tau

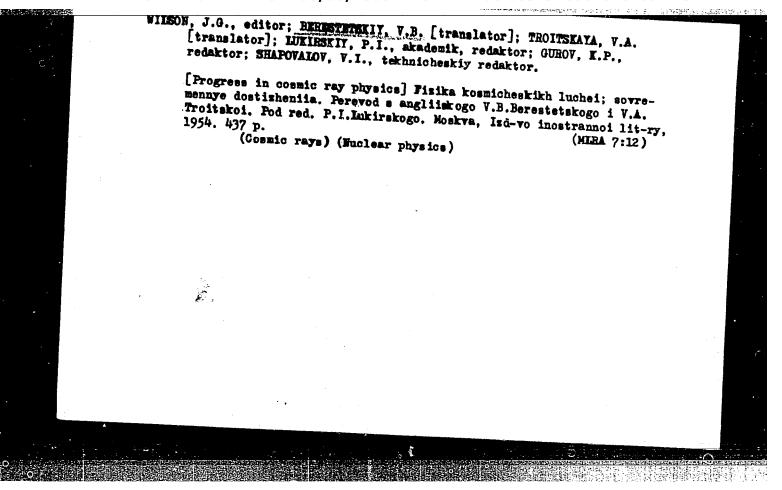
21 Sep 53

"Decay Into 3 pi-Mesons and the Hypothesis of Isotopic Invariance," U.B. Berestetskiy

DAN SSSR, Vol 92, No 3, pp 519-521

Analyzes previous works (Harding; Phil Mag 41 1950); Fowler et al, ibid 42 (1951); Hodson, ibid 42 (1951)) on known decay scheme of tau-meson into 2 positive and one negative pi-mesons and attempts to prove possibility of a tau-meson decay into 2 neutral and one positive meson. Indebted to Prof I.M. Gelfand and to Acad L.D. Landau, who also presented the article, 22 Jul 53.

268T86



USSR/Physics - Quantum electrodynamics

Card 1/1 : Pub. 118 - 7/9

Authors : Abrikosov, A. A.; Pomeranchuk, I. Ya.; and Shmushkevich, I. M.

Title : "Quantum Electrodynamics" by A. I. Akhizer and W. B. Berestetskiy.
Gosizdat, 1953, 428 p.

Periodical : Usp. fiz. nauk 53/3, 442-444, July 1954

Abstract : A monographical work by two Soviet scientists is reviewed. The monograph deals with quantum electrodynamics and is considered to be a

unique and very valuable work on theoretical physics.

Institution : ...

Submitted : ...

USSR/Scientific Organization - Theoretical physics

Card 1/1 Pub. 124 - 19/32

Authors : Berestetskiy, V. B., Dr. of Phys-Math Sc.

Title : Development of quantum electrodynamics and the theory of elementary particles

Periodical : Vest. AN SSSR 25/6, 90-93, June 1955

Abstract: Briefs are presented from the All-Union scientific conference held at the Academy of Sciences, USSR in Moscov (March 31 - April 2, 1044) and devoted to problems of quantum electrodynamics, theory of elementary particles and related fields of theoretical attractions.

Institution:

Submitted :

BELESTE ISKIY VICE

Category : USSR/Theoretical Physics - Quantum Electrodynamics

B-5

Abs Jour : Rof Zhur - Fizika, No 3, 1957, No 5674

Luthor Title Orig Pub : Vostn. AN SSSR, 1955, No 10, 22-31

Abstract: Popular article, describing the present-day status of quantum electrodynamics. A historical survey of the problem of the electromagnetic mass of the electron is given. A clear explanation is given for the idea of the renormalization of charge and mass on the basis of an examination of which regions of space (or wavelengths) contribute to the self energy and polarization of vacuum.

APPROVED FOR RELEASE: 06/08/2000 CIA-RDP86-00513R000204810012-3"

Card : 1/1

CIA-RDP86-00513R000204810012-3 "APPROVED FOR RELEASE: 06/08/2000

USSR/Nuclear Physics - Mu-meson pair production

Card 1/1

Pub. 146 - 17/44

FD-3258

Author

: Berestetskiy, V. B.; Pomeranchuk, I. Ya.

Title

Letter to the editor. Production of mu-meson pair during annihila-

Periodical

: Zhur. eksp. i teor. fiz., 29, No 6(12), Dec 1955, 864

Abstract

: According to the authors, if mu-mesons do not have peculiar to them any specific interaction more essential than electromagnetic interaction, then experimental investigation of electrodynamic processes with the participation of mu-mesons can give important information concerning the limits of applicability of the modern field theory and concerning the character of physical laws close to this limit, since the Compton wavelength of the mu-meson is comparable with those dimensions close to which one can expect radical changes in space-time concepts (I. Ya. Pomeranchuk, DAN SSSR, 103, 1005; 104, 51, 1955). They claim that deviation of experimental data from the formula for the effective cross-section of mu-meson pair production in the collision of positron with electron at rest should give information on maximum cross-section, minimum energy $\boldsymbol{E}_{\boldsymbol{n}}$ of such pair

Institution

: Academy of Sciences USSR

Submitted

September 29, 1955

punes/e/sk, y, V.B.

PARTICLE ACCELERATORS: STRONG-FOCUSING ACCELERATOR

"Admission of Particles Into the Chamber of an Accelerator with Strong Focusing," by V.B. Berestetskiy, L.L. Gol'din, and D.G. Koshkarev, Pribory i Tekhnika Eksperimenta, No 3, November-December 1956, pp 26-31.

Discussion of the injection of particles in an accelerator with strong focusing. The problem of the scattering of particles by the residual gas is solved. The effect of space charge on the frequency of the betatron oscillations is considered. The construction of a system for injection of particles into an accelerator chamber is described in brief. Reference is made to work by Blachman and Courant (Physical Review, 1948 74, 140) and Greenberg and Berlin (Review of Scientific Instruments, 1951, 22, 293), and by Barden (Physical Review, 1954, 93, 1378).

Card 1/1

BERESTETSKIY B-6 Catogory : USSR/Theorotical Physics - Quantum Field Theory Lbs Jour : Ref Zhur - Fizika, No 3, 1967, No 6703 Borostotskiv V.B., Krokhin, O.N., Khlobidkov, M.K. Concorning the Radiation Correction to the A -Meson Magnetic Luthor Orig Pub : Zh. oksporim. i toor. fiziki, 1956, 30, No 4, 788-789 Title ibstract: The deviation from the Schwinger formula is calculated for

the radiation correction to the magnetic moment under the assumption that the integration with respect to the momenta must be restricted to an upper limit \ o, where h/ \ o \ 10-13 \ \ \ o \ 10-14 \ \ cm, in connection with the results obtained by Landau and Perceptuals (2-2-2-4) and Perceptuals (2-2-2-2-4) and Perceptuals (2-2-2-2-4) and Per and Pomoranchuk (Roforat Zhur Fizika, 1956, 15733, 21813, 21814) concerning the inapplicability of the modern field theory to such distances. If this correction is written in the form

such distances. If this correction is written in the form

(2/3)me/

the ovalue

m is the mass of the particle. For the form the ovalue of d F may turn out to be not too sme.11.

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CIA-RDP86-00513R000204810012-3 "APPROVED FOR RELEASE: 06/08/2000

SUJECT

USSR / PHYSICS

CARD 1 / 2

AUTHOR TITLE

BERESTECKIJ, V.B., IGNATENKO, V.P.

Angular Distribution in the Case of the Cascade-Like Decay

of Hyperons. PERIODICAL

Zurn.eksp.i teor.fis, 30, fasc.6, 1169-1171 (1956)

Issued: 8 / 1956 reviewed: 10 / 1956

Here the cascade-like decay $\sum_{n=0}^{\infty} \rightarrow \bigwedge_{n=0}^{\infty} p + \pi^{-} + \gamma$ is investigated. At first the wave function of the relative motion of the proton and the pion as well as the wave function of the entire system are explicitly given in the end state. With the help of the well-known addition theorem of the square of a spherical harmonic according to LEGENDRE'S polynomials and the summation properties of the coefficients of the vector separation, the angular distribution of the particles is computed. In the following the angular distributions $I(\theta)$ for j = 3/2 and for various values of J are enumerated. With j=1/2 the distribution is spherical symmetrical. (Several coefficients are determined by the decay mechanism and are expressed by a factor. If only the smallest L plays a role, the first two terms must be omitted in the following formulae). Denotations: j - spin of the Λ -particle, J - spin of the Σ -particle, L - angular momentum of the relative motion of photon and Λ -particle. The following are the explicit expressions for the angular distributions:

Zern. Eksp.i teor.fis, 30, fasc. 6, 1169-1171 (1956) CARD 2 / 2 PA - 1415 $J = 1/2: I = 1 - 0.6 \cos^2\theta + a(1 + \cos^2\theta)$ $J = 3/2: I = 1 + 0.75\cos^2\theta + a(0.4 - 1.2 \cos^2\theta) + a(0.37 + 0.48 \cos^2\theta) + b.$ $J = 5/2: I = 1 - 0.45\cos^2\theta + \beta(0.4 - 1.2 \cos^2\theta) + a(0.4 - 1.2 \cos^2\theta) + a(0.33 + 0.43 \cos^2\theta) + a(0.5 - 1.36 \cos^2\theta) + a(0.33 + 0.43 \cos^2\theta) + a(0.5 - 1.36 \cos^2\theta) + a(0.33 + 0.43 \cos^2\theta) + a(0.5 - 1.36 \cos^2\theta) + a(0.33 + 0.43 \cos^2\theta) + a(0.34 + 0.33 \cos^2\theta) + a(0.34 + 0.34 \cos^2\theta) + a(0.3$

INSTITUTION:

Subject 📜 USSR / PHYSICS AUTHOR CARD 1 / 2 BERESTECKIJ, V.B., POMERANČUK, I.JA. PA - 1448 TITLE The Correlation Phenomena on the Occasion of the Capture of K-Mesons PERIODICAL Zurn.eksp.i teor.fis,31, fasc.2, 350-351 (1956) Issued: 10 / 1956 reviewed: 10 / 1956 The capture of a K-meson by a proton with subsequent decay of the hyperon produced on this occasion, i.e. the reaction $K^-+p \to \Lambda^0+\pi^0 \to p+\pi^-+\pi^0$ can be used for -particle from the angular correlation of the pions. If the spin of the K-meson is equal to zero, the initial system has the angular momentum 1/2 (if the K-meson is captured in the s-state). The following angular distribution $I_j(\theta)$ then occurs in dependence of the spin j of the Λ -particle and the angle θ between the directions n_1 and n_2 of the momenta with respect to the systems $(, \pi^0)$ and (p,π^-) respectively (where $I_{1/2}(\theta) = 1$): $I_{3/2}(\theta) = 1 + P_2(\cos \theta) \sim 1 + 3 \cos^2 \theta$ $I_{5/2}(\theta) = 1 + (8/7)P_2(\cos\theta) + (6/7)P_4(\cos\theta) \quad 1 - 2\cos^2\theta + 5\cos^4\theta$ (1)(Compare the analogous formulae for the decay of the __ particle as developed by R.GATTO, Nuov.Cim.2, 841 (1955). If the spin of the K-meson is equal to 1, the initial system may have either the angular momentum 1/2 or 3/2, and therefore the formulae of the angular correlations loose their uniqueness. If the system is in an exterior magnetic field, the dependence of the angular dis-

Zurn.eksp.i teor.fis, 31, fasc. 2, 350-351 (1956) CARD 2 / 2 tributions on the field strength H may serve the purpose of determining the magnetic moment of a -particle. The correlation function has the following form in the case of the presence of a magnetic field:

 $I = \sum_{n} \frac{1}{2n+1} A_{n} \sum_{v=-n}^{m} \frac{1}{1+i\omega\tau} Y_{n}^{*} (n_{1}) Y_{nv} (n_{2}^{2})$

Here ω denotes the corresponding LARMOR-frequency, τ - the life of the Λ -particle, A_n the coefficients of P_n in the formulae (1). If the gyromagnetic ratio of the Λ -particle is equal to that of the proton, then ω τ attains the value 0,3 in the case of H 3.104 G, Above all the formula (2) assumes the following form in the case of j = 3/2:

- form in the case of j = 3/2: I = 1 + P₂ (oos θ_1 P₂ (cos θ_2) + + (3/4)sin $2\theta_1 \sin^2 \theta_2 \left[\cos(\varphi_1 \varphi_2) \omega \tau \sin(\varphi_1 \varphi_2) \right] / (1 + \omega^2 \tau^2) +$ + (3/4)sin² $\theta_1 \sin^2 \theta_2 \left[\cos 2(\varphi_1 \varphi_2) 2\omega \tau \sin 2(\varphi_1 \varphi_2) \right] / (1 + 4\omega^2 \tau^2)$

Here θ_1 , ϕ_1 , θ_2 , θ_2 are the spherical angles of the vectors n_1 and n_2 in that coordinate system in which the z-axis has the direction of the magnetic field.

INSTITUTION:

SUBJECT aùthor

PERIODICAL

USSR / PHYSICS

CARD / 2

PA - 1898

Title

BERESTECKIJ, V.B., GESKENBEJN, B.V.

On the Ionization Slowing-Down of Electron-Positron Pairs of

High Energy.

Zurn.eksp.i teor.fis,31, fasc.4,722-723 (1956)

Issued: 1 / 1957

Because of the interference of electron- and positron fields, in the case of short distances from the place of the creation of the electron-positron pair, the ionization caused by this pair is less than the double ionization of an electron. This phenomenon was theoretically investigated by A.E. CUDAKOV (Izv. Akad. Nauk SSSR, 19, 650 (1955). The present report describes a different derivation of the formula of ionization slowing-down of such a pair in order to define the limits of its applicability with precision. For this purpose the authors used LANDAU'S method for the derivation of the formula of ionization losses at high energies (within range of the polarization effect). If electron and positron are at the points $\vec{r}_1(t)$ and $\vec{r}_2(t)$ respectively at a given point of time t, the energy loss of the pair per time unit is T = (r_2,t) , here $c\vec{v}_1$ and $c\vec{v}_2$ denote the velocities of the positron and electron respectively, and E the electric field of the pair. This field may be looked upon as a field in a macroscopic medium and can be represented in form of a FOURIER integral. The trajectories of the charges scattered in the medium can

Žurn.eksp.i teor.fis,31,fasc.4,722-723 (1956) CARD 2 / 2 PA - 1898 be considered to be a straight-lined trajectory in the domains in which retardation is still essential. One finds $T = 2T_0 - T_1$, where T_0 denotes the ionization deceleration of the electron alone, and T, an interference term. When computing T, it is of essential importance that the transversal difference of the components of the pair be considerably greater than the longitudinal difference. In the integral expression for T_1 the limiting value for the dielectricity constant & of the medium at high frequencies is essential. We finally find: $T_1 = (ce^2 \lambda^2/\pi) \int (cos k_x s/(k_x^2 + k_y^2 + \lambda^2))$ $dk_x dk_y = 2e^2 c \lambda^2 K_o(s \lambda)$. Here k_o denotes a corresponding BESSEL function and it holds that $s = (x_2 - x_1)$. The convergence of this integral for T_1 means that in the interference effect the large distances (for which macroscopic observation is permitted) are of importance. The analogous integral for T is known to diverge and must be limited by a certain maximum value of the transversal wave vector k_m . In the case of great s (s $\lambda \gg 1$) the interference effect vanishes. At s > < 1 it is possible to use the representation Tence effect vanishes. At $s/\sim 1$ it is possible to use the representation $K_0(z) = \ln(2/|z|)$ with $f' = e^{C_m} 1,781$ and it is then true that $T_1 = 2e^{C_m} \lambda^2 \ln(r_{\text{max}}/s)$. with $r_{\text{max}} = 2/|\lambda|$. If T_0 is written down in an analogous form: $T_0 = ce^{C_m} \lambda^2 \ln(r_{\text{max}}/r_{\text{min}} = a(f_0/mc)) \ln(2f_0/mc)$ (a=1,85, it is possible to represent T in the form $T_0 = a(f_0/mc) \ln(r_{\text{max}}/r_{\text{min}})$). The quantity $T_0 = a(f_0/mc) \ln(r_{\text{max}}/r_{\text{min}})$ and $T_0 = a(f_0/mc) \ln(r_{\text{max}}/r_{\text{min}})$. The quantity $T_0 = a(f_0/mc) \ln(r_{\text{max}}/r_{\text{min}})$ and it is transferred to the atom of the alectron electron. INSTITUTION:

SUBJECT USSR / PHYSICS CARD 1 / 2 PA - 1738

AUTHOR BERESTECKIJ, V.B., KUZNECOV, E. V.

TITLE The Diffraction Scattering of Energy-Rich Photons by Nuclei.

PERIODICAL Zurn.eksp.i teor.fis, 31, fasc.4, 723-723 (1956)

Issued: 1 / 1957

The properties of a nucleus with respect to energy-rich photons (at kR < 1, where k denotes the wave number of the photon and R - the radius of the nucleus) can be characterized by a complex refraction index: n + i k/k, where $n \sim 1$ and \mathcal{H} R < 1 applies. The value of the absorption coefficient \mathcal{H} can be expressed on the basis of general formulae by the experimentally known cross section σ_c of the photoproduction of mesons on nuclei: \mathcal{H} R = $3\sigma_c^2/4\pi R^2$. The existence of an absorption must lead to an elastic scattering of photons. By using the general diffraction relations for the semi-transparent nuclei it is without difficulty possible for the cross section σ_c of elastic scattering to obtain the expression $\sigma_c = 9\sigma_c^2/(32\pi R^2)$. The amplitude of scattering in a small angle θ is $f(\theta) = ikk \int_0^\infty J_0 \left(k \theta \sqrt{R^2 - s^2} \right) s^2 ds$ and herefrom we find for the differential cross section: $d\sigma_s/do = (1/2)\sigma_s/kR)^2 \Phi^2/kR \Theta$, $\Phi(x) = x^{-2}(x^{-1}\sin x - \cos x)$. In accordance with experimental data $\sigma_c \sim 10^{-28}$ A cm applies in the case of photon energies of the order 300 MeV. Here the cross section of the elastic

Zurn.eksp.i teor.fis, 31, fasc. 4, 723-723 (1956) CARD 2 / 2 PA - 1738 scattering f must have the following values: $\sigma_{\rm g} = 10^{-30}$ cm² for Be, and $\sigma_{\rm g} = 0.9.10^{-28}$ cm² for U.

Next, diffraction scattering is compared with the scattering of photons by a COULOMB field. The cross section $\sigma_{\rm g}$ of scattering by a COULOMB field at E \gg cm² has the value $\sigma_{\rm g} = 8.5.10^{-35} {\rm Z}^4$ cm². Thus, the ratio $\sigma_{\rm g}/\sigma_{\rm g}$ is modified from 50 for Be to 10^{-2} for U, i.e. in the case of heavy nuclei the diffraction scattering is considerably less efficacious than the coherent scattering by the charge. Nevertheless, this effect must be recognizable because of a different angular distribution. Corresponding to the formula $d\sigma_{\rm g}/do = (1/2)\sigma_{\rm g}(kR)^2 \Phi^2$ (kR9) diffraction scattering is effective in the case of the angles $\theta_{\rm g} \sim 1/kR$, whereas scattering by the COULOMB field is concentrated within the domain $\theta_{\rm g} \sim$ cm²/E. Therefore, the differential cross sections for U at $\theta = 0.015$ are equal at E = 300 MeV. do diminishes rapidly, but $d\sigma_{\rm g}/do$ in this domain retains the constant value of ~ 0.8 millibarn ($\theta_{\rm g} = 0.09$).

INSTITUTION:

RERESTENSKTY, V.B., 10FFE, B.L., RUDICK, A.P., TER-MARTIROSYAN, K.A.

(Acad. of Sci. USSR)

"Nonconservation of Parity in the -Decay."

paper submitted at the A-U Conf. on Nuclear Reactions in Medium and Low Energy Physics, Moscow, 19-27 Nov 57.

BERESTETSKIY, V.B

AUTHOR.

BERESTECKIJ, V.B., BYČKOV, JU.A.

PA - 2088

Scattering of K-Mesons with Change of Intrinsic Parity (Rassejanie

K-mesonov s izmenieniem vnutrennej četnosti).
PERIODICAL Zhurnal Eksperimental noi i Teoret. Fiziki l

Zhurnal Eksperimental noi i Teoret. Fiziki, 1957, Vol 32, Nr 1,

pp 181-183 (U.S.S.R.)

Received 3/1957

Reviewed 4/1957

ABSTRACT

Analysis of experimental data on the decay of K-mesons (various relevant works are mentioned) leads with high probability to the following conclusions. 1) The spin of K-mesons is equal to zero. 2) K-mesons may occur in states of different internal symmetry, i.e. with positive (0-mesons) and with negative (7-mesons) symmetry. On the occasion of a collision between K-mesons and nucleons, the internal symmetry of K-mesons may change. (Transformation of 0-mesons into 7-mesons and vice versa) For the purpose of the investigation of some general properties of such a process, the authors form the wave function of the YK-meson-nucleon-system in the form of a total of two spinors Ψ_0 and Ψ_7 (which transform in different way on the occasion of reflection). $\Psi = \begin{pmatrix} \psi_1 \\ \psi_2 \end{pmatrix}$, $I\Psi_0 = \Psi_0$, $I\Psi_1 = -\Psi_T$. Here I denotes the reflection operator. In the scattering problem Ψ has the following usual form $\Psi = u$ exp $(ikn_0r) + F(n)e^{ikr}/r$. Here n_0 and n denote the unit-vectors of the inciding and scattered wave, i and f the corresponding amplitudes, which, similar to Ψ are bispinorial quantities. If the properties of interaction between θ - and T-mesons and the nucleons are equal, this equality also holds good for the "symmetrically conjugated" amplitudes. The amplitude F in the above equation can be written down as F = Ru, in this connection R denotes a two dimensional matrix (Each of its

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Scattering of K-Mesons with Change of Intrinsic Parity.

PA - 2088

elements consists of a twodimensional matrix with respect to spin variables The matrix R can be represented in the form of $R = a + bC_p$, where a denotes a scalar and b a pseudoscalar. Amplitude au describes the usual scattering (without transformation of internal symmetry) and has the form which is usual in the theory of the scattering of spinor waves. However, the authors also wish to ascertain the general form of the amplitude bu which describes the scattering with modification of internal symmetry. For this purpose the relation between the inciding and diverging wave is studied with certain values of momenta and of symmetry. This relation is explicitly written down and discussed. In the case of small momenta the term j = 1/2 corresponding to the transitions $s_1/a \neq p_1/a$ will suffice. From the expression obtained for b it follows that, in the case of such a scattering, nucleons are not polarized. The considerations discussed here hold good also for the scattering of Σ - and Λ -particles by nuclei with the spin zero, if the spin of these particles is equal to 1/2. These considerations also hold good for the processes K + N+ Σ + π and K + N + Not given

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BERESTETSKIY, V.BB, IOFFE, B.L., RUDIK, A.P., and TER MARTIROSYAN, K.A (Acad. Sci. USSR)

"β-Decay and Non-Conservation of Parity," Nuclear Physics, Vol. 5, No. 3, Feb 1958 (No. Holland Publ. Co., Amsterdam)

Abst; Effects due to non-conservation of parity such as longitudinal and transverse polarization of β -electrons, angular distribution of β -electrons from an oriented nucleus (including the case when the direction of the recoil nucleus momentum is fixed are examined in the present paper for the cases of allowed β -transitions and first order forbidden transitions. It is shown that owing to the influence of the Coulomb field the magnitude of these effects for forbidden transitions in heavy and intermediate nuclei is the same as for allowed transitions, perceptible deviations are observed in light nuclei ($Z \lesssim 20$). In the particular case of a 0-0 transition pseudoscalar coupling. Unique transitions ($\Delta \gamma = 2$, yes) for which the electron angular distribution of oriented nuclei essentally differs from that for allowed transitions are considered separately.

. AUTHORS:

Berestetskiy, V. B., Rudik, A. P.

SOV/56-35-1-22/59

TITLE:

The Polarization of the Internal Conversion Electrons Fellowing a β-Decay (Polyarizatsiya elektronov vnutrenney konversii, sleduyushchey za β-raspadom)

PERIODICAL:

Zhurnal eksperimental'noy i teoreticheskoy fiziki, 1958, Vol 35, Nr 1, pp 159 - 164 (USSR)

ABSTRACT:

The authors in the present paper investigate the connection between the polarization of the conversion electrons and the direction of the electrons emitted during a β -decay. The Coulomb-(Kulon) field of the nucleus is neglected in this connection. For the (axial) vector of the polarization of the conversion electrons the following ansatz is made (for the case of permitted β -transitions): $\langle \vec{v} \rangle = a(\vec{v}\vec{n})\vec{n} + b(\vec{v} - (\vec{v}\vec{n})\vec{n})$ (a and b are constants which depend on the momenta of the nuclear state and the transition energy, cv is the velocity of β -electrons, and \hat{n} the unit vector in the direction of the conversion transitions). For the case of a magnetic

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multipole the following is obtained:

The Polarization of the Internal Conversion Electrons 807/56-35-1-22/59 Following a β -Decay

 $\langle \vec{3} \rangle = (r 5/j_2) \vec{n}(\vec{n}\vec{v})$. In this case the polarization is longitudinal and does not depend on the energy of the conversion electron. The following holds for the case of an electric multipole:

$$(\vec{\sigma}) = r \frac{L+1}{1+2\kappa + \kappa^2 (2L+1)/L} \frac{\xi}{j_2} \left\{ (\kappa + \kappa^2) (\vec{n}(\vec{n}\vec{v}) - \vec{v}) + \frac{\kappa^2}{L} (\vec{n}\vec{v}) \vec{n} \right\};$$

 $r = \left[L(L+1) + j_2(j_2+1) - j_1(j_1+1) \right] / 2L(L+1). \text{ In this case}$ a longitudinal as well as a transversal polarization exist, both being dependent on energy. At low velocities $\mathbf{v_k}$ of the conversion electrons longitudinal polarization is proportional $(\mathbf{v_k/c})^4$, and transversal polarization $(\mathbf{v_k/c})^2$. In conclusion the authors thank A.I.Alikhanov, Academician, and V.I.Lyubimov for the interest they displayed and for their discussions. There are 3 references, 2 of which are Soviet.

Card 2/3

AUTHOR:

Berestetskiy, V. B.

TITLE:

The Polarization of a Nucleus by a Radiation K-Capture (Polyarizatsiya yadra pri radiatsionnom K-zakhvate)

PERIODICAL:

Zhurnal eksperimental noy i teoreticheskoy fiziki, 1958, Vol 35, Nr 2(8), pp 537-538 (USSR)

ABSTRACT:

First, some previous papers are mentioned. The polarization of atomic nuclei is caused also by the radiation capture

of an orbital electron $e + p \rightarrow n + \gamma + \gamma$. Also in this case, the polarization of the nucleus is described by the formula $\langle \vec{J} \rangle = (1/3)(j+1) \langle \vec{J} \rangle$, where cv denotes the velocity of the photon and \vec{J} is a coefficient connected with positron decay. In order to prove this assumption, the author investigated the matrix element \vec{J} of the radiation

K-capture with a transition of the nucleus from the state j_1^m to the state j_m . An expression is given for the density matrix of the polarization of the daughter nucleus. It may seem strange that the pseudovector $\langle J \rangle$ is proportional to

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24(7)

The Polarization of a Nucleus by a Radiation K-Capture

the vector of the photon momentum although the photon is emitted without a change of parity. However, the polarization of the nucleus depends on the polarization of the absorbed virtual electron. This electron is polarized along the direction of its momentum, and this direction is opposite to that of the momentum of the emitted photon. The author thanks A. I. Alikhanov, V. A. Lyubimov, and L. B. Okun' for discussing this paper. There are 6 references, 2 of which are Soviet.

SUBMITTED:

May 19, 1958

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BEKESTETSKIX

Author:

Berestetskiy, V. B.

53-64-3-8/8

TITLE:

Lev Davidovich Landau (Lev Davidovich Landau)

On His Fiftieth Birthday (K pyatidesyatiletiyu so dnya rozh-

deniya)

PERIODICAL:

Uspekhi Fizichekikh Nauk, 1958, Vol. 64, Nr 3, pp. 615-623

(USSR)

ABSTRACT:

Landau takes one of the most prominent places in modern theoretical physics. The unusual scope of his eientific interests and of his scientific work are especially to be mentioned. Nowhere his wide scope and his feeling for the unity of theoretical physics is so fully demonstrated as in the work of several volumes created by himself and Ye. H. Lifshits which is called "Theoretical Physics" ("Teoreticheskaya fizika"). The 6 volumes edited until now (mechanics, theory of the field, quantum mechanics, statistical physics, mechanics of continuous media, electrodynamics of continuous media) simultaneously represent an encyclopedia of modern theoretical physics, a systematic guide for

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53-64-3-8/8

Lev Davidovich Landau. On His Fiftieth Birthday

specializing in theoretical physics, and a helpful method for the theorist. This work contains many original ideas and methods, it is organically connected with Landau's systework on the education of young theoretical physicists. Landau founded a great scientific school, the representatives of which are successfully working in various fields of thecretical physics. He was three times awarded the Stalin price, and in 1946 was elected Ordinary Member of the Academy of Sciences of the USSR. He was born in Baku on January 22, 1908. Already when 14 years of age he entered Baku University, and in 1924 he changed over to Leningrad University where he finished his studies in 1927 when he was 19 (nineteen !) years of age. After his university studies he worked in the Leningrad Institute for Technical Physics. His first scientific work was published in 1926. Starting from 1926 he spent altogether one and a half years in Denmark, Germany, Switzerland, Holland and England. In 1933 and 1934 he also came to Copenhagen on an invitation by Niels Bohr. In 1930 he wrote a fundamental work on the theory of metals, and in 1935 a fundamental work on the theory of ferromagnetism. He also contributed essentially to the theory of phase transitions.

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Lev Davidovich Landau. On His Fiftieth Birthday

53-64-3-8/8

Then the author shortly reports on various works which do not belong to the theory of solids. During World War II he worked, among others, also in the field of "ordinary" hydrodynamics. Finally a short survey on Landau's works concerning quantum electrodynamics and the theory of elementary particles follows. One of his last works deals with the problem of the non-conservation of parity in weak interactions. There are 1 figure and 81 references, all of which are Soviet.

1. Physics -- USSR 2. Scientific personnel -- USSR

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DERESTETSKIY, V.B

24(5); 21(7),(8) PHASE I BOOK EXPLOITATION

SOV/2950

Akhiyezer, Aleksandr Il'ich, and Vladimir Borisovich Berestetskiy

Kvantovaya elektrodinamika (Quantum Electrodynamics) 2d ed., rev. Moscow, Fizmatgiz, 1959. 656 p. Errata slip inserted. 10,000

Ed.: Ye. Ye. Zhabotinskiy; Tech. Ed.: N. A. Tumarkina.

PURPOSE: This book is intended for students in advanced physics courses, Aspirants, and scientific researchers in this field.

COVERAGE: This is the second edition of a book which first appeared in 1953. Most of the chapters have been rewritten and much new material has been included. The book examines in detail the basic wave fields, the theory of Green's functions, and the theory of scattering (S-) matrix. Radiation, internal conversion of gamma rays, the behavior of electrons in an external field, the Compton

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Quantum Electrodynamics (Cont.)

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effect, brehmsstrahlung, the creation and annihilation of electronposition pairs, the equivalent photon method, radiative corrections to atomic level and scattering, scattering of light by light and polarized particle processes are reviewed. The present intense interest in these subjects is attributed by the authors to the discovery of the nonconservation of parity. The various sections contain numerous computations, illustrated applications of general methods, and final results in the form of formulas and curves which may be used both in theoretical and experimental applications. As to the principal problems of quantum electro-dynamics, the theory of renormalizations underwent the greatest revision. While the authors do not profess complete mathematical strictness, they attempt to set forth the concept of renormalizations from one simple physical point of view, avoiding prescribed methods for removing divergences and utilizing the general properties of quantum mechanics systems to the full. In relation to this, some changes have been made in the organization of the the investigation of the S matrix in light of the theory of radiative corrections is treated in a separate chapter

Card 2/26

Quantum Electrodynamics (Cont.)

SOV/2950

(Chapter VII); the study of dynamic processes in the first, not zero, approximation, not related to the removal of divergences and renormalizations, is given in Chapters V and VI; and higher approximations, in Chapter VIII. The number of electrodynamic phenomena covered has been increased, and in particular the theory of polarized particle processes, the method of "sighting" ("target", "aimed" or "definite-purpose") parameters, and other concepts have been introduced. The book aims on one hand to give a clear physical picture of principles and results of quantum electrodynamics and, on the other, to give, the reader an opportunity to master the method and technique of appropriate computation. The authors thank V. Aleksin, V. Bar'yakhtar, V. Boldyshev, D. Volkov, S. Peletminskiy, R. Polovin, and P. Fomin for assistance in preparing the manuscript. References are included as footnotes.

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Foreword to the Second Edition

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 $^{\circ}$ 21(7), 24(5)

AUTHORS:

Berestetskiy, V. B., Pomeranchuk, I. Ya.

SOV/56-36-4-60/70

TITLE:

 β -Interaction and Form Factor of the Nucleon (β -vzal nodeystviye

PERIODICAL:

Zhurnal eksperimental'noy i teoreticheskoy fiziki, 1959, Vol 36,

ABSTRACT:

One of the most characteristic properties of $\beta\text{--interaction}$ is the rapid increase of effectivity with energy. However, the existence of strong interaction leads to an occurrence of form factors in nucleons which may influence the energy dependence of the β -processes considerably. An investigation of β -transformations at high energies, e.g. process (1) of transformation of the electron into a neutrino (e + p \rightarrow n + ν) may serve the purpose of determining these form factors. Today it may be said that the β -interaction consists of V- and A-V-interactions. For process (1) the matrix element in the present "Letter to the Editor" is written down according to references 3 and 4. On the basis of the assumption that the hypothesis developed by

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Gell-Mann and Feynman (Ref 1) holds good and that the electron energy is supposed to be high as against its own mass, a rather

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 β -Interaction and Form Factor of the Nucleon

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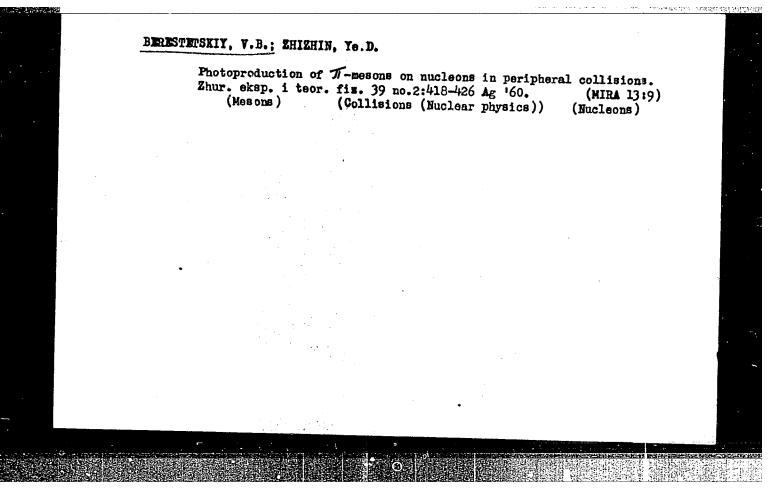
complicated expression is given for the differential cross section of (1). There are 5 references, 1 of which is Soviet.

SUBMITTED:

January 6, 1959

Card 2/2

CIA-RDP86-00513R000204810012-3" APPROVED FOR RELEASE: 06/08/2000



s/056/60/039/004/034/048 B006/B063

24,6520 AUTHORS:

Berestetskiy, V. B., Pomeranchuk, I. Ya.

TITLE:

Asymptotic Behavior of Cross Sections at High F ergies

PERIODICAL: Zhurnal eksperimental'noy i teoreticheskoy fiziki, 1960, Vol. 39, No. 4(10), pp. 1078 - 1086

TEXT: The data on high-energy particle collisions available at present lead to the assumption that with an increase in energy the total collision cross section tends to a constant limit which is of the order of $1/\mu^2$ where $1/\mu$ is the Compton wavelength of the pion. The elastic diffraction scattering cross section likewise tends to a limit, and the cross sections for the individual inelastic processes tend to zero with an increase in energy. However, these simple assumptions may well be wrong. The present paper gives approximate calculations of cross sections for inelastic processes, which indicate a different asymptotic behavior of the cross sections. As these calculations are only approximative, the conclusions drawn cannot make a claim to finality. They indicate, however, that the situation may be much more complicated. First, the authors study the Card 1/2

Asymptotic Behavior of Cross Sections at High S/056/60/039/004/034/048 Energies S/056/60/039/004/034/048

transformation of two particle into three, which is graphically shown in Fig. 1. Proceeding from the amplitude equation of this process, expressions are given in pole approximation for the differential cross section, the transferred momentum, etc. The transformation of two particles into four is studied analogously (see graphs of Figs. 2 and 3). It is found that in an energy range in which the total elastic scattering cross section is independent of energy, the cross section for the transformation of two particles into three is not reduced with an increase in energy, and that the cross section for the transformation of two particles into four increases logarithmically with an increase in energy. This suggests that the elastic scattering cross section tends to zero at very high energies. The authors thank V. N. Gribov, L. D. Landau.

V. N. Mel'nikov, L. B. Okun', and I. M. Shmushkevich for discussions.

I. M. Dremin and D. S. Chernavskiy are mentioned. There are 5 figures and 5 references; 2 Soviet, 1 US, 1 Italian, and 1 Dutch.

SUBMITTED: May 25, 1960

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3/056/60/039/005/036/051 B006/B077

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Berestetskiy, V. B.

AUTHOR:

The Anomalous Magnetic Moments of Muon and Electron

TITLE:

Zhurnal eksperimental noy i teoreticheskoy fiziki, 1960,

PERIODICAL:

Vol. 39, No. 5(11), pp. 1427 - 1429

TEXT: In a previous work the author together with O. N. Krokhin and A. K. Khlebnikov had calculated the anomalous moment $\delta\mu$ of the muon and had taken into consideration that quantum electrodynamics might; not be applicable in the range of large momenta (Ref.1). By introducing Feynman's cutoff factor with the limiting momentum λ_0 it was found that $\delta\mu/\mu = (\alpha/2\pi)(1-\delta F)$. For $m_{\mu}^2/\lambda_0^2 \ll 1$ (m_{\mu} - muon mass) the deviation from

the Schwinger correction was equal to $\delta F = 2m_{\mu}^2/3\lambda_0^2$. De Tollis pointed out that an introduction of a cutoff factor in a different way leads to a somewhat different value of δF . In the present work it is examined which value of $\delta\mu$ leads to the most convincing introduction of a

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The Anomalous Magnetic Moments of Muon and Electron S/056/60/039/005/036/051 B006/B077

limiting momentum. It is shown how the radiative corrections in quantum dynamics can be calculated by application of the dispersion relations and unitarity conditions. The corrections to the magnetic moment are given by taking into account the cutoff at high momenta. $\lambda_0^2 \sim 18m_\pi^2 \approx 36m_\mu^2$ (Hofstadter) leads to $1 - \delta F = \sqrt{1 - 4m_\mu^2/\lambda_0^2}$, thus $\delta F \sim 0.06$ for the muon, and $\delta F = 2m_e^2/\lambda_0^2$ for the electron $(m_e - its mass)$.

The author thanks M. Terent'yev for discussions. There are 3 references:

SUBMITTED: June 2, 1960

Card 2/2

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Berestetskiy, V. B., Terent'yev, M. V.

TITLE:

Higher nucleon charge and magnetic-moment distribution

PERIODICAL:

Zhurnal eksperimental noy i teoreticheskoy fiziki, v. 40,

no. 1, 1961, 324-327

TEXT: The problem of spectral densities g_1^V and g_2^V of isovectorial electromagnetic form factors of the nucleon $(G_1^{V}$ and $G_2^{V})$ due to two-pion states has been investigated in Refs. 1 and 2. To calculate them, it is necessary to know the scattering amplitudes of pions by nucleons in the nonphysical region of transferred momenta and energies. From the pole part of the amplitudes and (x,N) scattering data, only expressions for amplitudes at a transferred momentum t near $t = 4\mu^2$ can be determined; the anomalous magnetic moment and mean square nucleon radius r2 can not, however, be calculated without additional hypotheses about the (π,N)

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Higher nucleon charge and ...

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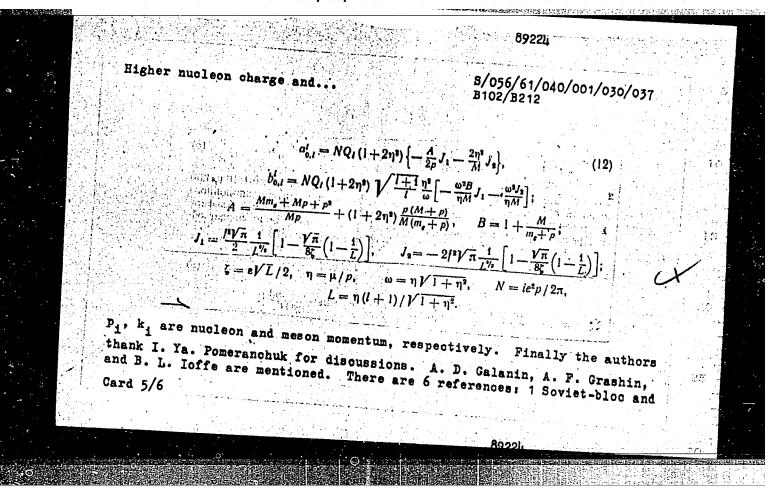
scattering and the part of the multi-meson and nucleon states. To compute these quantities was the aim of the present work; they are the higher charge and magnetic-moment distribution moments:

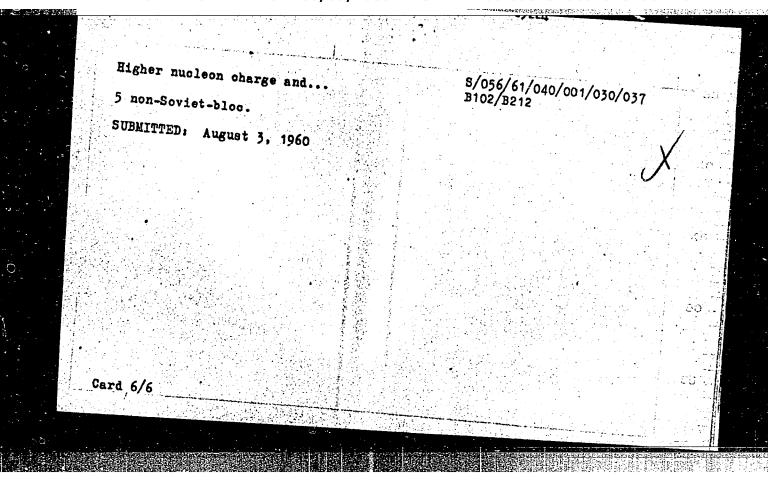
$$(\overline{r^{2n}})_1^{V} = \frac{(-1)^n (2n+1)!}{n!} G_{1,2}^{V(n)}(0) = \frac{(2n+1)!}{\pi} \int_{-\frac{\pi}{2}}^{\infty} \frac{g_{1,2}^{V}(t)dt}{t^{n+1}}$$

or higher multipole potentials of the nucleon transition a_1 . Using $g_{1,p}^{V} = \frac{8}{3} f^2 \xi^3 / \epsilon^2$, $g_{2,p}^{V} = 4 f^2 \xi^5 / \epsilon^4$, $\xi \ll \epsilon / 2$ (4), $g_{1,p}^{V} = f^2 [2\xi - \pi \epsilon / 2 + \epsilon^2 / 2\xi]$, $g_{2,p}^{V} = -2 f^2 [2\xi - \pi \xi^2 / 2\epsilon]$, $\epsilon / 2 / \epsilon \ll 1$ (5), with $\xi = \sqrt{t/4\mu^2 - 1}$ and $\epsilon = \mu / M$, μ - meson mass, M - nucleon mass, and $e^{V}(r) = \frac{1}{(2\pi)^2} \int_{4\mu^2}^{\infty} g^{V}(t) \frac{1}{r} \exp(-\sqrt{tr}) dr$ the relations are obtained:

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| Higher nucleon charge and 8/056 | The state of the s |
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| $(\mathbf{r}_{-}^{-n})' = \frac{4\mathbf{r}(2n+1)!}{(n-1)!}$ | |
| $(A_1^2)^{n}$ | (2n-1) |
| $\frac{(\mathbf{r}_{1}^{2n})^{V} - \frac{4\mathbf{f}^{2}(2n+1)!}{(4\mu^{2})^{n}n!} \left[-\frac{(n-1)!\epsilon}{8} + \frac{(2n-3)!!}{2^{n+1}} + (2n-3)!$ | 4 2n+1 (9) |
| $(\mathbf{r}^{2\mathbf{h}})^{V} = \underline{\mathfrak{C}}^{Z}(2\mathbf{n}+1) \cdot [(\mathbf{r}^{2\mathbf{h}})^{V}]$ | 10 |
| $(\mathbf{r}_{2}^{2n})^{V} = \frac{\mathfrak{t}^{2}(2n+1)!}{\varepsilon(4\mu^{2})^{n}n!} \left[\frac{(n-2)!}{4} - 2\varepsilon \frac{(2n-3)!}{2^{n+1}} \right]$ | |
| 2^{n+1} | |
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| (1) 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 | |
| $P^{V}(r) = \frac{1}{(2\pi)^{3}} e^{-2\mu r} \left[-\frac{\pi e}{r^{2}} + 3 \sqrt{\frac{\pi}{\mu}} \frac{1}{r^{2}} \right]$ | 7 |
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| Finally the deviation from its value of the scattering for a point nucleon is st $ V_{l}(l-1)/(2l-1) (a_{l}^{l-1}-b_{l}^{l-1}$ | 18 Phase at an |
| point nucleon is st | udied and ernnest |
| $[\sqrt{l(l-1)}/(2l-1)](a_i^{l-1}-b_i^{l-1})$ | variation oxpression |
| $[V(l+1)(l+2)/(2l+3)](a_i^{l+1}-b_i$ | $j=2i\gamma^{i-1}$ |
| $[(l+2)/(2l+3)](a_1^{l+2}-b_1^{l+2})$ | $i^{(+1)} = 2i\gamma^{(+1)}$ |
| $[(l+2)/(2l+3)]a_{l}^{l+1} + [(l+1)/(2l+3)]$ | b(+1 0:20/+1 |
| | $-2100i^{-1}$ |
| Card 3/6 $ \frac{[(l-1)/(2l-1)]a_i^{l-1} + [l/(2l-1)]b_i^{l}}{a_i^l = -2i3k^l - l} $ | (11) |
| $a_i^l = -2i\delta k$ | $=-2i^{3}\delta_{i}^{i-1},$ |
| $a_{i}^{l} = -2i^{3}\delta_{i}^{l}, a_{0,l}^{l} = -2i^{1}\delta_{i}^{l}, b_{0,l}^{l}$ | $i=2i\gamma_0^I$ |
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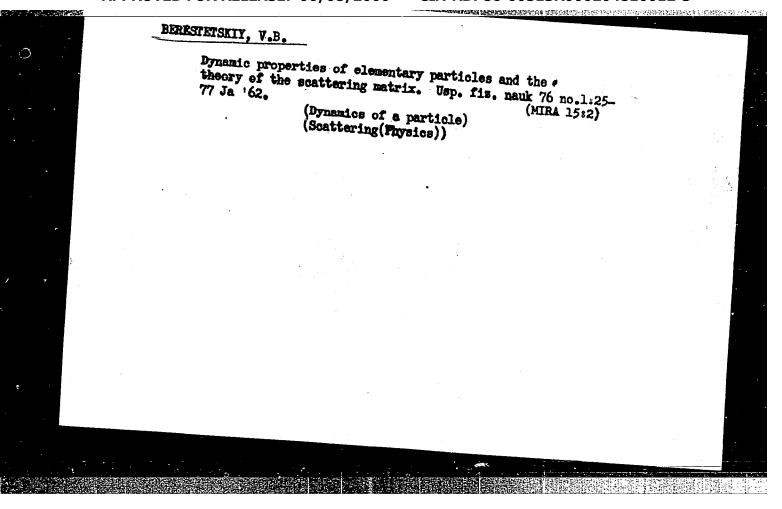




ARUTYUNAYAN, V.M.; VARTANYAN, Yu.L.; CHUBARYAN, E.V.; SHAKHBAZYAN, V.A.; AMATUNI, A.Ts.; DZHRBASHYAN, V.A.; MELIK-BARKHUDAROV, T.K.; TEVIKYAN, R.V.; BERESTETSKIY, V.B., prof., red.; SHTIBEN, R.A., red. izd-va; KAPLANYAN, M.A., tekhn. red.

[Problems in the theory of strong and weak interactions of elementary particles; lectures] Voprosy teorii sil'nykh i slabykh vzaimodeistvii elementarnykh chastits; lektsii. Pod obshchei red. V.B.Berestetskogo. Erevan, Izd-vo Akad. neuk Armianskoi DDR, 1962. 190 p.

1. Akademiya nauk Armyanskoy SSR. Fizicheskiy institut. (Nuclear reactions)



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ACCESSION NR: AP3000056

\$/0056/63/044/005/1603/1611

AUTHOR: Berestetskiy, V. B.

3 % ()

TITLE: Asymptotic behavior of scattering amplitudes and the problem of "ghosts" on the trajectories of vacuum Regge poles 2/

SCURCE: Zhurnal eksper. 1 teoret. fiziki, v. 44, no. 5, 1963, 1603-1611

TOPIC TACS: Regge poles, scattering amplitudes, unphysical region

ABSTRACT: Asymptotic expressions are obtained for elastic pion-pion, pion-nucleon, and nucleon-nucleon scattering amplitudes in the region where the principal Regge pole passes through the value j=0. It is shown that the difficulty arising in connection with unphysical (ghost) states arising when

difficulty arising in connection with unphysical (ghost) states arising when the scattering amplitude becomes infinite does not arise in actuality, and that wave amplitude is not a number but a matrix is sufficient to eliminate the 'ghost'. Moreover, if one accepts the usual ideas about the analytic properties of partial wave amplitudes as functions of j, then the matrix cannot have

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simultaneously a zero pole in both its "sense" and "nonsense" elements. The Gell-Mann hypothesis is therefore in agreement with the analytic properties of the residues of physical partial wave amplitudes near j=0 and ensures the finite nature of all scattering amplitudes. "I express my gratitude to I, Ya. Pomeranchuk for numerous important discussions, and also to V, N. Gribov, N. N. Meyman, and I. M. Shmushkevich for discussions." Orig. art. has: 33 formulas and I table.

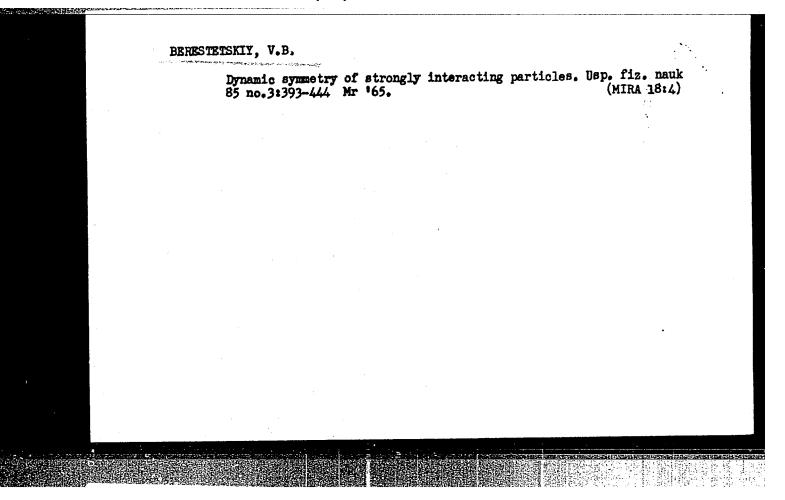
ASSOCIATION: Institut teoreticheskoy i eksperimental noy fiziki (Institute of Theoretical and Experimental Physics).

SUBMITTED: Obdec62 DATE ACQ: 12Jun63

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SUB CODE: PH NR REF SOV: 006 OTHER: 005

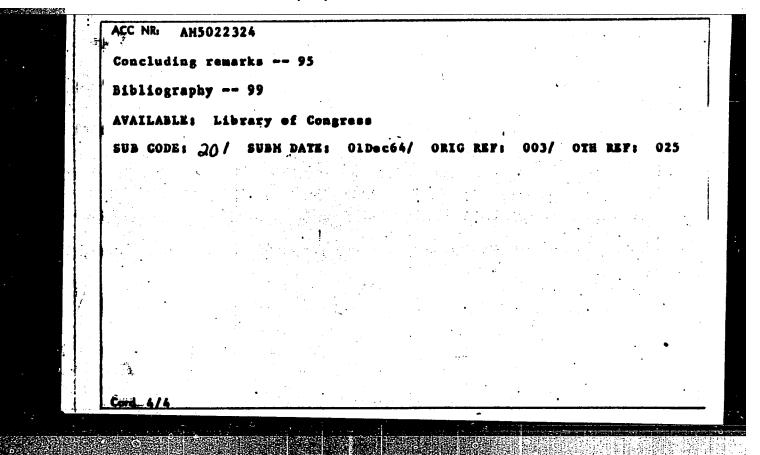
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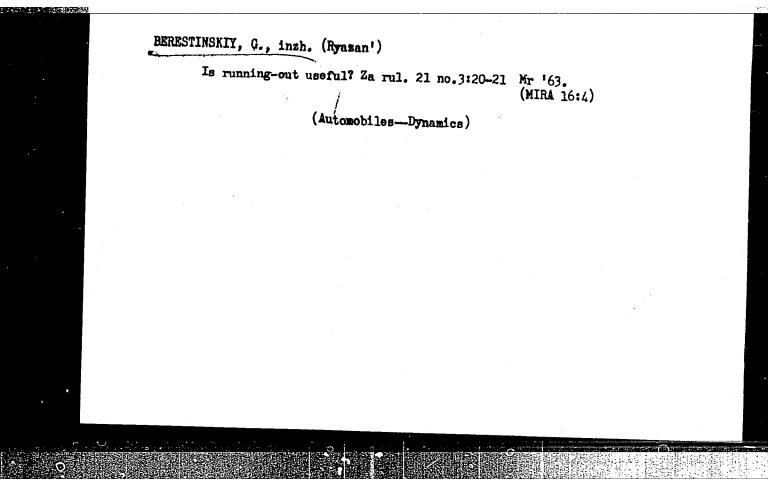


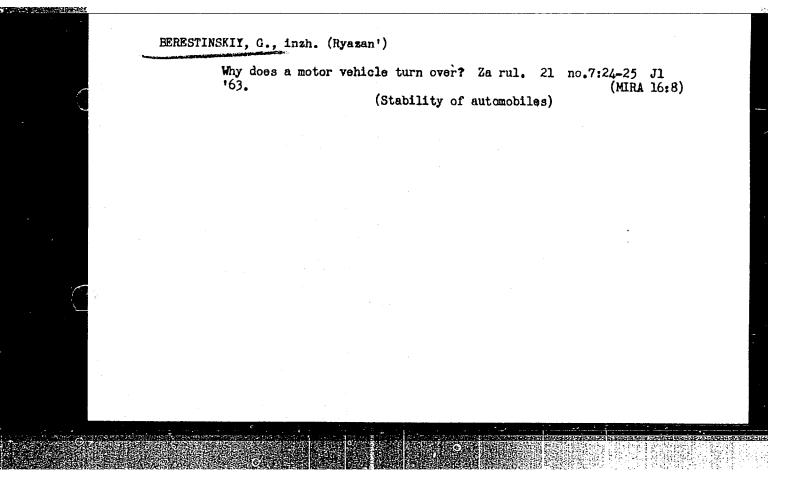
ACC NR AN5022324 Honograph UR/ Berestetskiy, V. B. Dynamic symmetries of strongly interacting particles (Dinamicheskiye simmetrii sil'novzaimodeystvuyushchikh chastits) Moscow, 1964. 100 p. illus., biblio. 350 copies printed. Series note: USSR. Gosudarstvennyy komitet po ispol'zovaniyu atomnoy energii. Institut teoreticheskoy i eksperimental noy fiziki. [Doklady] no. 301 TOPIC TAGS: strong interaction, weak interaction, elementary particle, high energy physics, hadron, lepton, baryon, quark PURPOSE AND COVERAGE: This booklet is intended for nuclear physicists. The booklet describes the dynamic symmetries of strongly interacting particles. The author thanks L. B. Okun'. There are 28 references, primarily English. TABLE OF CONTENTS: Ch. I. Hadron quantum numbers -- 5 1. Baryon number -- 5 Calibration groups -2. Cord 1/4

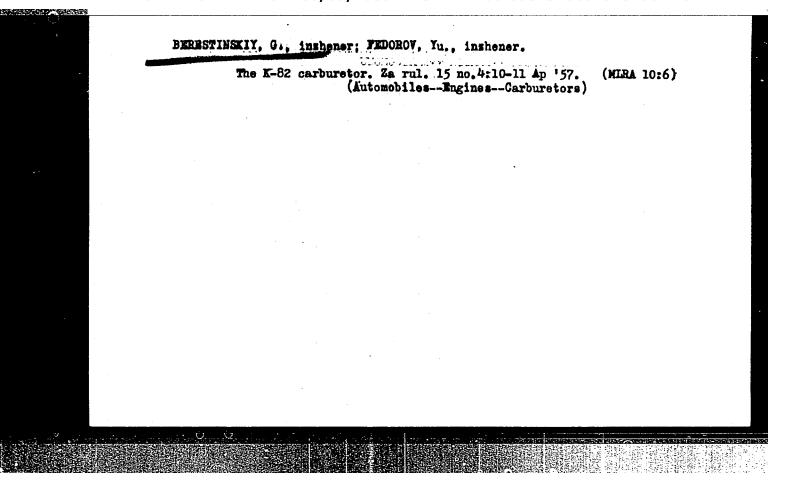
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DREVAL', K.P.; BERNSTHATTY C.L.

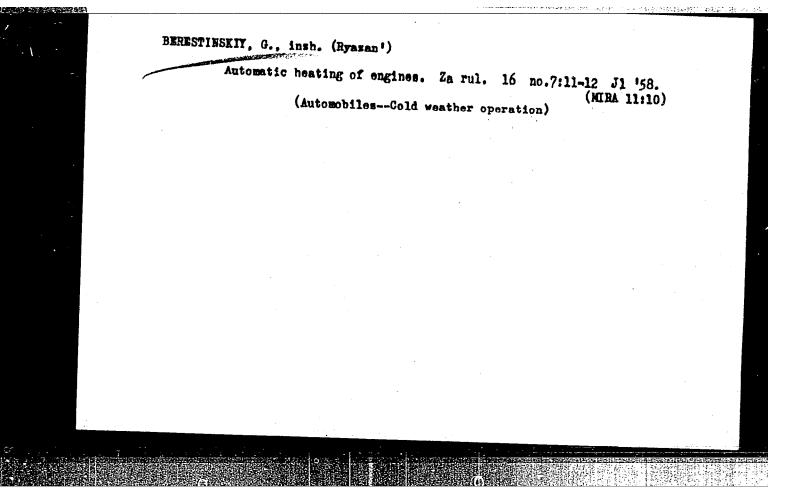
A textbook not wholly valuable ("Manual for the study of machinery.
Pt. 2: Automobile" by V.P. Bespal'ko, M.H. Enidelev, and B.P. Hiritin.
Reviewed by K.P. Dreval' and G.I. Berestinskii). Politekh, obuch,
no.3:61-62 Mr '56.

(Automobiles)

(Bespal'ko, V.P.)

(Shidelev, M.H.)

(Hikitin, B.P.)

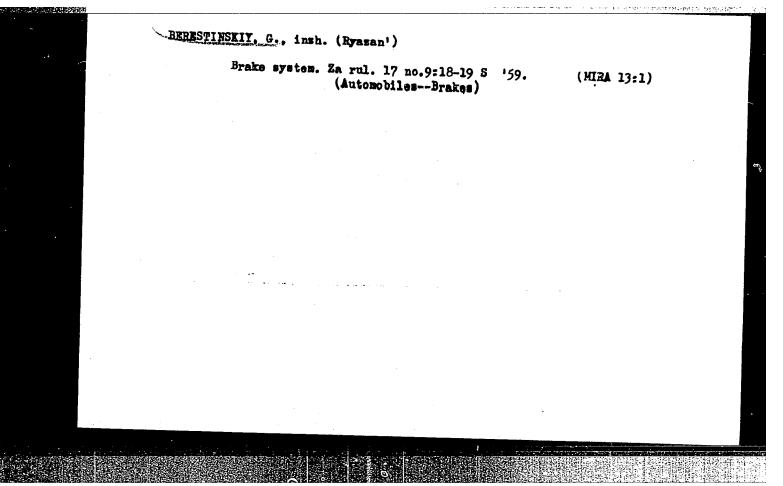


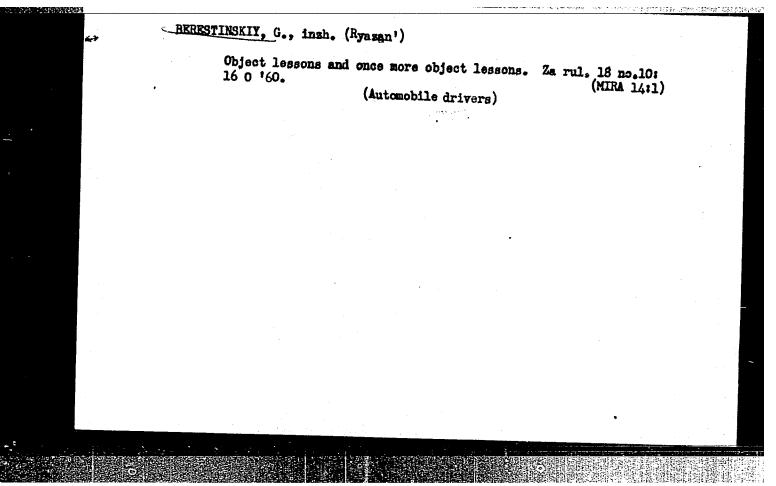
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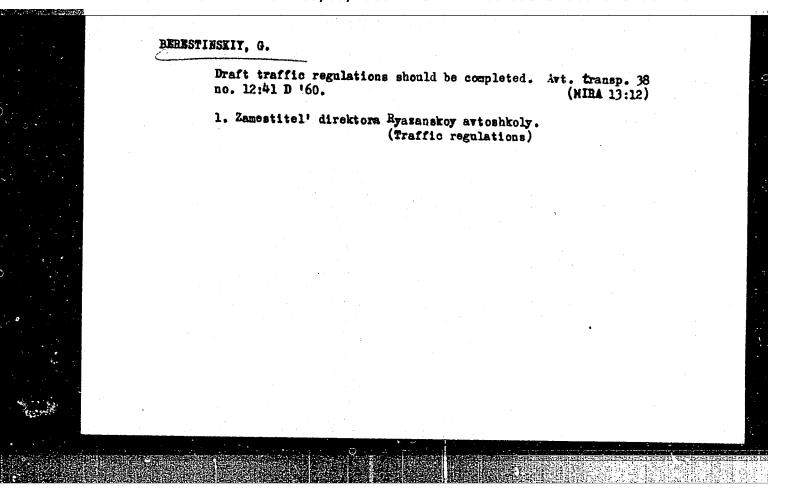
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Jl '59. (MIRA 13:1)

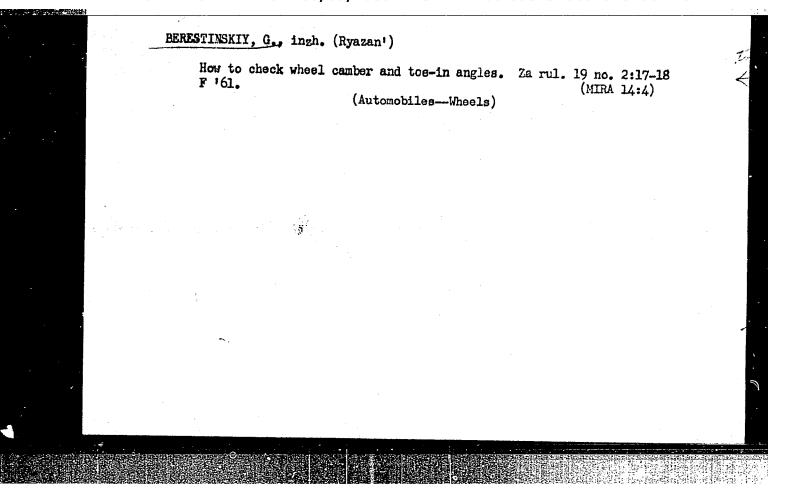
1. Zaveduyushchiy uchebnoy chast'yu Ryazanskoy avtonobil'noy shkoly.

(Automobile drivers)

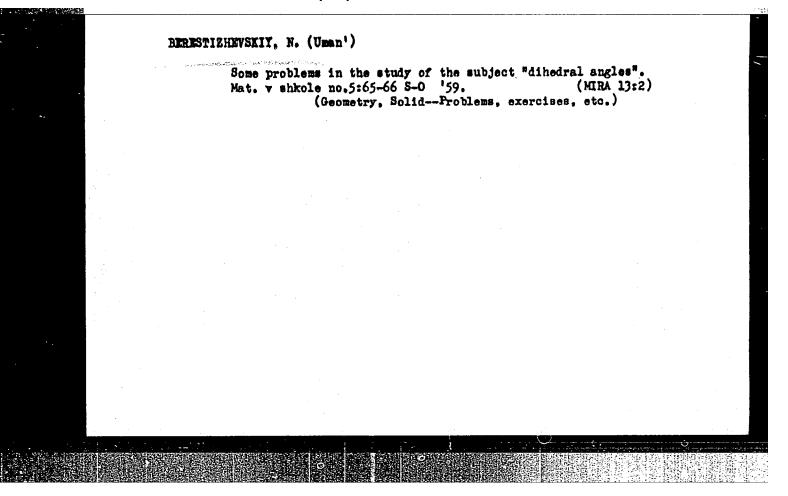


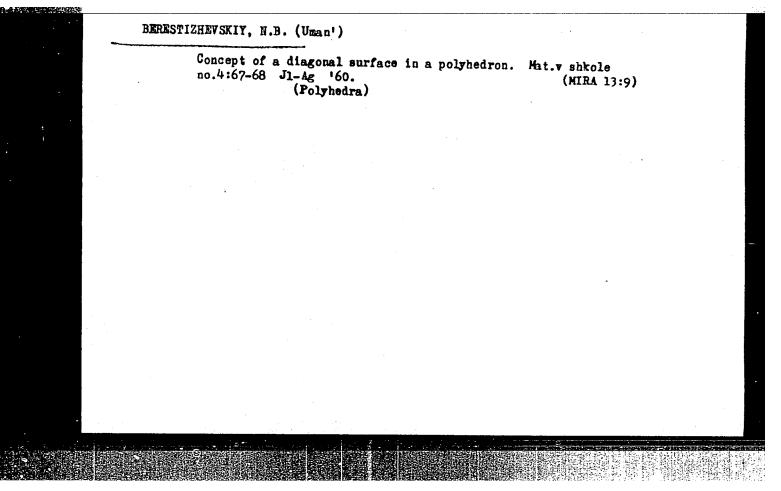






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BERESTNEV, L.B.; DROZDOV, S.S., red.; STEELYANKO, T.V., tekhn. red.

[Handbook for rural electricians]Spravochnik sel'skogo elektromontera. Stavropol', Stavropol'skoe knizhnoe izd-vo, 1962. 151 p.

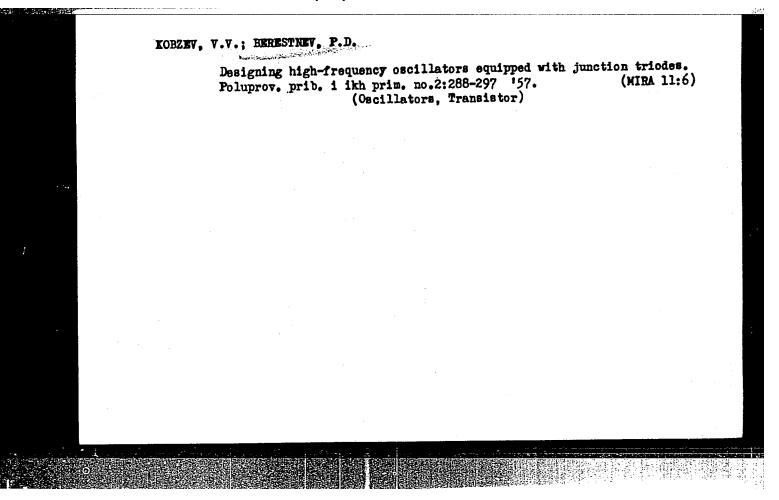
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BERESTNEV, P. D., Cand Tech Sci -- (diss) "Investigation of the sutogenerators of sinusoidal fluctuations on the triods." Mos, 1957. 9 pp. MARKMINEX (Min Intermedian USSR, MARKETERINGIAL MARKETERINGIAL MOS Electrotes, Inst. of Interpolations), 110 copies. (KL, 9-58, 116)

| 2 | Transistors, "Semiconductor Devices and Their Uses; Collection of Articles, No. 2, p. 288. Moscow, Izd-vo "Sovetskoye radio," 1957. | | | | | | |
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PA = 3216

AUTHOR:

BERESTNEY, P.D.

Received: 6/1957

TITLE:

A Simplified Analysis of Circuit Diagrams for High Frequency Genera-

tors with Self-Excitation in Flat Crystal Triodes.

(Uproshchennyy analiz skhem voh generatorov s samovozbuzhdeniyem na

ploskostnykh kristallicheskikh triodakh. Russian). Radiotekhnika, 1957, Vol 12, Nr 4, pp 39 - 44 (U.S.S.R.)

Reviewed: 7 /1957

ABSTRACT:

PERIODICAL:

It is possible to obtain approximate formulae for the generated frequency and the self-excitation conditions if a crystal tricde is conceived as an active linear quadripole with Y-parameters. The paper under review derives these formulae for two autogenerator circuit diagrams (with a common emitter and common basis) with an oscillatory circuit in the circuit of the collector. The equitation for the amplification coefficient with regard to the voltage is found and the real part is separated from the imaginary part. The real part is equated to one, and then the conditions for the self-excitation are obtained. The connection between the input circuit and the output circuit may be established by a transformer or autotransformer, or it can be a capacity connection. A chart contains a compilation of the data of the three Soviet triode types P6G with respect to the Y-parameters.

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(2 reproductions, 1 chart, 1 Slavic reference).

PA - 3216

A Simplified Analysis of Circuit Diagrams for High Frequency Generators with Self-Excitation in Flat Crystal Triodes.

ASSOCIATION:

Not given

PRESENTED BY:

SUBMITTED:

26 January 1957

AVAILABLE:

Library of Congress

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